ENGINEERING PHYSICS



LECTURE NOTE

Based on New syllabus (2018-19) circulated by SCTE&VT, Odisha for 1st and 2nd Semester Diploma Engineering courses approved by AICTE, New Delhi

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PREPARED BY

Omkar Sharma
Department of Physics
C.V. Raman Polytechnic

Physics Is the study of nature and it's laws. Ingineering Physics Engineering physics deals with user or applications of principles of physics in the field of engineering. What is a event? Ans- Examples of event (i) failing of fruits from trees. (ii) Hooting of ships in the sea. (iii) Rotation of planets around the sun. (iv) Thunder and lightening in the sky. etc. Physical quantities 3. What are the physical quantities? Event 1: Falling Fruit from a live. Coconut tree force mass twent 2: Bike Race. (i) As minutes	UNIT: 1 UNITS AND DIMENSIONS
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Event 2: Bike Race (a) (a) (b) (c) (c) (c) (c) (c) (c) (c) (c) (c) (c	Q. What are the physical quantities?
force mass Event 2; Bike Race 3	Event 1: Falling Fruit from a tree
Event 2; Bike Race 30 minutes Winners: (3)	Co Conut tree
(1) (2) Winner: (1)	
	(1) (2) Winner: (1)

Speed

Event 3: weight lift	ring	
А	13	
Physical quantities a qualitatively and quan	tion of Physical quantities used in physical tradition of physical quantities used in physical tradition of the physical quantities used in physical quantities are properly to the physical quantities and physical quantities are physical quantities.	25 to explain events
Types of physical quantities ar Physical quantities ar (i) fundamental physica (ii) Derived physical qu	re of two types?— I quantities/base physical quan	ntîtles
Fundamental physic There are 7 number	<u>al quantities</u> r of fundamental physical quant	ítles in physics.
seno.	Name of fundamental physical quantities	Symbol
01	mass	mor M
02	length	l or L
03	Time	tor T
04	electroc current	iorI
95	Temperature	K

Amount of substance 06 Luminous intensity IN Derived physical quantities Derived physical quantities are the quantity which are derived from the fundamental physical quantities either by multiplication and division.

Example 1 100ft Area of square = length x length = Lx L 100ft = 12

100ft

```
good - distance
             time
         = length = 1
 Example 3
  Acceleration = Velocity time
                = length/time
                      time
                 = \frac{\text{length}}{\text{timex time}} = \frac{\text{length}}{\text{(time)}^2} = \frac{L}{T^2}
  Example 4
   Force = mass x acceleration
         = mass x <u>length</u> (time)<sup>2</sup>
        = ML
T2
  Unit
 The quantitative measurement of a physical quantity needs it's unit.
 System of units
(i) MKS system
     Unit of length is Meter.
     Unit of mass is Kilogram.
    Unit of time is Second.
(ii) CGS System
     Unit of length is Centimeter.
     Unit of mass is Gram.
      Unit of time is second.
```

Dramy-10 Z

(iii) FPS Syxtom Unit of Longth is foot. Unit of mass is Pound. Unit of time is second. (iv) S.I unit (International System of units) Name of fundamental/ Base SI und sino. quantity Meter Length 01 Kilogram Mass 02 Second Time 03 Electric current Ampere 04 Kelvin Temperature 05 Amount of substance mole 06 Luminous intensity Candela Cd 07 Q. Write base SI units? Ans - Base SI units Meter (m) Kilogram (Kg) Second (s) Ampère (A) kelvin (K) mole (mol) Candela (cd) Q. Write base quantitles? Length Mass time electric current Temperature Amount of substance Luminous intensity

Dimensions The dimensions of a derived physical quantity may be defined as the powers to which it's base units must be raised to represent it completely. OR ! Dimension of a physical quantity are the powers on the fundamental physical quantities! Dimensional formula A dimensional formula is an expression which shows how and which of the fundamental units must be used to express a physical quantity. Example -(1) Volume = length x breadth x height = LXLXL = [L3] = [MOL3 TO] (11) Acceleration = Length (time)2 = [<u>L</u>] = [L17-2] Q. Find dimensional formulae of following physical quantities. (1) Area (ii) Volume (iii) speed (iv) Velocity (v) Acceleration

(vi) Force

(vii) Pressure

(Vili) Work

(ix) stress

(xi) Power

(x) kineth energy

Speed = Distance
Time

=
$$\frac{\text{Length}}{\text{time}}$$

= $\left[\frac{L}{T}\right] = \left[L^{1}T^{-1}\right]$

Acceleration = $\frac{\text{Length}}{(\text{Time})^{2}}$

= $\left[\frac{L}{T^{2}}\right] = \left[L^{1}T^{-2}\right]$

Force = mass x $\frac{\text{Length}}{(\text{Time})^{2}}$

= $\frac{ML}{T^{2}} = \left[M^{2}L^{1}T^{-2}\right]$

Pressure = $\frac{\text{Force}}{\text{Area}}$

= $\left[\frac{F}{A}\right]$

= $\left[\frac{M^{2}L^{1}T^{-2}}{L^{2}T^{-2}}\right] \times \left[L^{2}\right] = \left[\frac{M^{1}L^{1}T^{-2}}{L^{2}L^{2}}\right]$

Ans -

Avea = Longth x Length

=[L2] = [M0L2 T0]

Volume = Length x Longth x Length

=[LXLXL]

= [[3]

= [LXL]

```
=[M1 L17-2]
             [L2]
       = [M+L+T-2] x [L2]
        =[M1-T-2]
Kinetic energy = \frac{1}{2} x mass x (velotity)<sup>2</sup>
                                                            Note: Pure numbers have
                                                                  no dimensions
               = \frac{1}{2} x mass x(velocity)<sup>2</sup>
              = [mass x (velocity)2]
               = \left[ M \right] \times \left[ \left( L^{2} T^{-1} \right)^{2} \right]
               = [M1] x [L2T-2]
              =[M4 L2 T-2]
Power = Work
             time
             Force x distance
                  time
        = \left[ \underbrace{M^{2}L^{2}\uparrow^{-2}}_{\boxed{\uparrow}} \right]
        = [M2127-2] x [7-1]
       - [M2 12 7-3]
Note: [Energy] = [Work] = [M2127-2]
         [Pressure] = [Stress] = [M2 L-17-2]
```

Work = force x distance

= [M4 L2 T-2]

stress = force

=[M1L1 T-2] X [L1]

Q. What is the principle of nomogeneous this - This principle states that a physical equation is correct if ards only when the dimensional formulae of all the terms in the equation are equal. Q. Cheek the correctness of the equation? (i) = W + ma [F] = [M2L+7-2] $\begin{bmatrix} \frac{W}{S} \end{bmatrix} = \begin{bmatrix} M^{2} L^{2} T^{-2} \end{bmatrix}$

$$\begin{bmatrix} \overline{+} \end{bmatrix} = \begin{bmatrix} M^{2} L^{2} T^{-2} \end{bmatrix}$$

$$\begin{bmatrix} \overline{-} \end{bmatrix} = \begin{bmatrix} M^{2} L^{2} T^{-2} \end{bmatrix}$$

$$= \begin{bmatrix} M^{2} L^{2} T^{-2} \end{bmatrix} \times \begin{bmatrix} L^{-1} \end{bmatrix}$$

$$= \begin{bmatrix} M^{2} L^{2} T^{-2} \end{bmatrix}$$

rect.
$$\frac{F}{A} = \frac{W}{SA} + \frac{MS}{T^2}$$

$$\frac{F}{A} = \frac{\left[M^2 L^1 T^{-2}\right]}{\left[L^2\right]}$$

at the terms have the same dimensional termula, the equation is
$$= \frac{W}{SA} + \frac{mS}{T^2}$$

$$= \frac{[M^2L^2T^{-2}]}{[L^2]}$$

[ma] = [M2] x [12+-2] =[M1 L1 7-27 correct. $(i) \frac{F}{A} = \frac{W}{SA} + \frac{MS}{T^2}$ $\frac{F}{A} = \frac{\left[M^2 L^1 T^{-2}\right]}{\Gamma L^2 T}$ = [M2L4 T-2] x [L2] 2 [M2 L-1 T-2] $\frac{W}{SA} = \frac{\left[M^{2}L^{2}T^{-2}\right]}{\left[L^{2}\right]\times\left[L^{2}\right]}$

Since, all the terms have the same dimensional formula, the equation is $= \left[M^2 L^2 T^{-2} \right]$ $\left[L^3 \right]$

= [M2 L2 T-2] X [L-3] = [M2 L-1 T-2]

$$\frac{mv^2}{r} = \frac{[M^2] \times [(L^2T^{-1})^2]}{[L^2]}$$

$$= [M^4] \times [L^2T^{-2}]$$

$$= [M^4 L^2T^{-2}] \times [L^{-1}]$$

$$= [M^4 L^2 T^{-2}]$$
Since, all terms have same dimensional formula the equation is correct.

(iv) $V^2 - u^2 = 9as$

$$V^2 = [L^4T^{-1}]^2 = [L^2T^{-2}]$$

$$U^2 = [L^4T^{-1}]^2 = [L^2T^{-2}]$$

$$U^3 = [L^4T^{-2}] \times [L^4]$$

$$= [L^2T^{-2}]$$

Since, all the terms have same dimensional formula the equation is correct.

Since, all the terms have different formula the equation is incorrect.

= [M4L4]

=[Malz] x [7-2]

= M2 12 7-27

F = [M2 12 7-2]

(iii) = mv2

at =
$$\begin{bmatrix} L^2 - T^{-2} \end{bmatrix} \times \begin{bmatrix} T^3 \end{bmatrix}$$

= $\begin{bmatrix} L^2 + T^{-1} \end{bmatrix}$
 $V = \begin{bmatrix} L^2 + T^{-1} \end{bmatrix}$
 $V = \begin{bmatrix} L^2 + T^{-1} \end{bmatrix}$
Since, all terms have same dimensional formula the equation is correct.
(vi) $a = \left(\frac{F}{m}\right)^{\frac{1}{2}}$
 $a = \begin{bmatrix} L^2 + T^{-2} \end{bmatrix}$
 $a = \begin{bmatrix} M^2 + L^2 + T^{-2} \end{bmatrix} = \begin{bmatrix} M^2 + L^2 + T^{-2} \end{bmatrix} = \begin{bmatrix} M^2 + L^2 + T^{-2} \end{bmatrix} \times \begin{bmatrix} M^{-1} \end{bmatrix}^{\frac{1}{2}}$
= $\begin{bmatrix} M^2 + L^2 + T^{-2} \end{bmatrix} \times \begin{bmatrix} M^{-1} \end{bmatrix}^{\frac{1}{2}}$
= $\begin{bmatrix} M^0 + L^2 + T^{-2} \end{bmatrix} = \begin{bmatrix} M^{-1} \end{bmatrix}^{\frac{1}{2}}$

(v) v-u = at

Since, all terms have different dimensional formula the equation incorrect.

(vii) $s = ut + \frac{1}{2} at^2$

$$S = \begin{bmatrix} L^{2} \end{bmatrix}$$

$$Wt = \begin{bmatrix} L^{2} T^{-1} \end{bmatrix} \times \begin{bmatrix} T^{2} \end{bmatrix}$$

$$= \begin{bmatrix} L^{2} T^{0} \end{bmatrix}$$

$$at^{2} = \begin{bmatrix} L^{2} T^{-2} \end{bmatrix} \times \begin{bmatrix} T \end{bmatrix}^{2}$$

=[1+7-2] X[+72]

since, all terms have same dimensional formula the equation is correct.

(VIII)
$$V = \sqrt{\frac{fr}{m}}$$
 $V = \left[\frac{1}{2}T - \frac{1}{2} \right] \times \left[\frac{1}{2}T - \frac{1}{2} \right]$

$$V = \begin{bmatrix} L^{2}T - 1 \end{bmatrix}$$

$$V = \begin{bmatrix} L^{2}T - 1 \end{bmatrix}$$

$$V = \begin{bmatrix} M^{2}L^{2}T - 2 \end{bmatrix} \times \begin{bmatrix} L^{2}J \end{bmatrix} \stackrel{1}{2}$$

$$M^{2}J$$

$$M^$$

$$\sqrt{\frac{f_{Y}}{m}} = \left(\frac{\left[M^{2} L^{2} T^{-2}\right] \times \left[L^{2}\right]}{\left[M^{2}\right]}\right)^{\frac{1}{2}}$$

$$= \left(\frac{\left[M^{2} L^{2} T^{-2}\right]}{\left[M^{2}\right]}\right)^{\frac{1}{2}}$$

Since, all terms have same dimensional formula the equation is convect-

 $\left(\left[M^{2} L^{2} T^{-2} \right] \times \left[M^{-1} \right] \right)^{\frac{1}{2}}$

= [M0 L27-2] =

= MO L+ 7-1]

UNIT: 2 SCALARS AND VECTORS
Q. Define scalar quantities? Ans - Scalar quantities are the physical quantities which have magnitude only.
Magnitude - A number with a unit.
Example - Magnitude of length are:
200 meters
2 Km
50 cm
magnitude of weights are:
50 kg
200gm
5 quintal
Examples of scalar quantities
mass, length, time, temperature, work, energy etc.
Q. Define vector quantities?
Ans-Vector quantities are the physical quantities which have both magnitude and direction.
Ex - Displacement, velocity, acceleration, force, pressure etc.
Representation of a vector
L) Graphically, a vector is represented by a line segment with a arrow head.
←
→
Magnitude! Length of the line segment gives magnitude.

Direction: Arrow head gives direction.

(2) Symbolically, a vector is represented as follows: suppose A is a vector, then it is written as A and is given by A = 1 A | A A = AA A - Magnitude of A A = Unit vector of A and gives direction of A Types of vector (i) Unit vector It is a vector whose magnitude is unit or 1'. (ii) Null Vector It is a vector whose magnitude is zero. (iii) Equal vector Two vectors are said to be equal, if they have the same magnitude and direction: Ex ċ d (iv) Negative vector A vector is said to be negative of another if it has same magnitude but opposite in direction. EX -(V) Parallel vector Two vectors acting along same direction irrespective of their magnitude are ealled as parallel rector. EX -

(vi) Anti-parallel vectors Two vectors are sailed to be anti-parallel if they are in opposite direction irrespective of their magnitude are called anti-parallel Vector. EX-(vii) co-initial vectors If the starting points of vectors are the same, then they are called co-inital vectors. Ex -A,B,C,D are co-initlal vectors. Scalar addition * Scalar addition obey simple rule of algebra. Vector addition

of	algebra.	

*	Vector	addition	doesn't	obey	simple	rule of	alge
		vector d					
(1)	Triang	le law o	of vector	addi	tion		

(ii) Parallelogram law of vector addition Triangle law of vector addition

Total force / Resultant Vector (R)

magnitude, R = 1 A2+ B2+ 2AB COSO O is the angle between A and B.

Example 1

0 = 90'

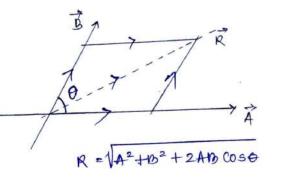
Ans -4=3 B = 4

R = 1 A2+B2+ 2AB COSO

=
$$\sqrt{25+0}$$

= $\sqrt{25}$ = $5N$
Parothelogram law of vector addition

19+16+24 cos 90'



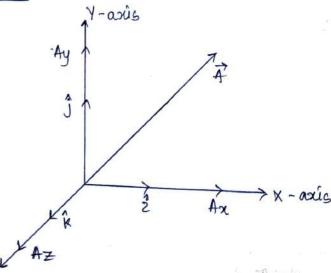
Example 2
Two forces of magnitude 1N \$2N are outing at an angle 60'. Find the resultant force.

Ans -
$$R = \sqrt{1^2 + 2^2 + 2 \times 1 \times 2}$$
 cos 60.
= $\sqrt{1 + 4 + 4 \left(\frac{1}{2}\right)}$

= 11+4+2

= 17

Resolution of a vector



Let I is a vector on my = co-ordinate system. A = Axi2 + Ays + Azk Ax -> 21 - Component of A Ay > y - component of A AZ > Z - Component of A 2 - Unit vector along x-axis J → Unit vector along y - axis Z - Unit vector along z-axis Vector multiplication / vector product Are of two types i Dot product (ii) Cross product a. Define dot product? Ans - The dot product of two vectors I and B he defined as A. B = Am coso A - Magnitude of A B - Magnitude of B 6 - Angle between A and B A.B > Scalar Example 3 Find the dot product of two vectors whose magnitude are surits and 4 units. When the angle between them is 60% Ans - Given, A = Juntes B = 4 units A'B = AB COCO = 3x4xcos60' = 12 × 1 = 6 units

$$= 2-6-12$$

$$= -16$$
Example 5
find $\overrightarrow{A} \cdot \overrightarrow{B}$ if $\overrightarrow{A} = 2 + 2 \cdot 1 - 4 \cdot 1 \cdot 1 \cdot 1 \cdot 1 = 32 + 4 \cdot 1 - 1 \cdot 1 \cdot 1 = 32 + 4 \cdot 1 - 1 \cdot 1 \cdot 1 = 32 + 4 \cdot 1 - 1 \cdot 1 = 32 + 4 \cdot 1 \cdot 1 = 32 + 4 \cdot 1 = 32 + 4$

Dot product in component form

Let I and B are two vectors

 $\overrightarrow{A} = Axî + Ayî + Azk$

B = B22 + By) + Bzk

Example 4

A.B = Ax Bx + Ay By + Az Bz

Ans - Anc = 2, Ay = 3, Az = -4

Bx = 1, By = -2, Bz = 3

A. B = Anba+ Ay by + Az Bz

= 2+(-6)+(-12)

Example 4 Find $\vec{A} \cdot \vec{B}$ if $\vec{A} = 2\hat{z} + 3\hat{j} - 4\hat{k}$, $\vec{B} = \hat{z} - 2\hat{j} + 3\hat{k}$

= $(2 \times 1) + (3 \times (-2)) + ((-4) \times 3)$

4.4

= (2x2) + ((-3)x1) + (1x0)= 4+(-3)+0 = 4-3 = 1 (1) find A.B if A = 2+j+4k, B = 22 Ans - An = 1, Ay = 1, Az = 4 Bx= 2, By=0, Bz=0 A' B' = AncBac+ AyBy+ AZBZ = (1x2) + (1x0) + (4x0)= 2+0+0 = 2 Cross product Q. befine cross product? Ans - The cross product of two Nectors F and B is defined as AxB = Absinon where, A -> Magnitude of A B -> Magnitude of B ◆ → Angle between \$\vec{4}\$ and \$\vec{6}\$ A > Unit vector gives direction of A x B Note i) AxB is a vector magnitude -> 1 A x B 1 = AB sino direction -> It is given by in Example7 Find the magnitude of cross product of two vectors whose magnitudes are 3 units and 4 units and angle between them is 90°. Ans - Let a and B are two vectors 50, A = 3 wits 414 B = 4 unlts 0=90'

AB = ARBX + AyBy + AZ BZ

$$|\overrightarrow{A} \times \overrightarrow{B}| = Ab \sin \theta$$

 $|3 \times 4| = 12 \sin 90^{\circ}$
 $= 12$
 \overrightarrow{B} in component form

$$\overrightarrow{A} \times \overrightarrow{B} \text{ in component form}$$

$$\overrightarrow{A} \times \overrightarrow{B} = \begin{vmatrix} 2 & j & k \\ Ax & Ay & Az \end{vmatrix}$$

Final AXB If A= 22+1+26

= - 22 - 6) + 5 %

= 142+91-k

Example 8

Example 9

$$\overrightarrow{A} \times \overrightarrow{B} = \begin{vmatrix} 2 & \hat{j} & \hat{k} \\ Ax & Ay & Az \\ Bx & By & Bz \end{vmatrix} = 2 \begin{vmatrix} Ay & Az \\ By & Bz \end{vmatrix} - \hat{j} \begin{vmatrix} Ax & Az \\ Bx & Bz \end{vmatrix} +$$

$$\hat{j}$$
 \hat{k}
Ay $Az = \hat{z}$

$$D = 2 + 3\int + 4\hat{k}$$

$$\begin{vmatrix} 2 & \hat{j} & \hat{k} \end{vmatrix}$$

$$\vec{A} \times \vec{B} = \begin{vmatrix} \hat{2} & \hat{j} & \hat{k} \\ 2 & 1 & 2 \\ 4 & 3 & 4 \end{vmatrix}$$

$$\vec{A} \times \vec{B} = \begin{vmatrix} \hat{z} & \hat{j} & \hat{k} \\ 1 & -2 & 4 \\ 2 & -3 & -1 \end{vmatrix}$$

$$= (2-(-12))^{2} - (-1-8)^{2} + (-3-(-4))^{2}$$

$$= (2+12)^{2} + (9)^{3} + (1)^{3}$$

$$= (-3-0)\hat{2} - (1-0)\hat{1} + (3-(-6))\hat{k}$$

$$= -3\hat{2} - (1)\hat{1} + (3+6)\hat{k}$$

$$= -3\hat{2} - \hat{1} + q\hat{k}$$
(Am)

Example 10

Find $\overrightarrow{A} \times \overrightarrow{D}$ if $A = 2 \cdot 2 - 3 \cdot 3$ $D = 2 \cdot 2 + 3 \cdot 3 + k$

 $\vec{A} \times \vec{B}' = \begin{vmatrix} \hat{7} & \hat{j} & \hat{k} \\ 1 & -3 & 0 \\ 2 & 3 & 1 \end{vmatrix}$

KINEMATICS UNIT: 3 Q. What is Rest? ons - A body is said to be at rest when it's position doesn't change with time. Q. What is motion? this - A body is said to be in motion when it's posttlen changes with time. Distance and displacement Q. what is distance? Ans - Distance covered by a body is defined as the length of the path covered by the body. > Distance is a scalar quantity. > S.I unit of distance is meter (m). > Others units of distance are cm, km, miles, millimeter etc. > It's symbol is's'. > D.F of distance is [5] = [L] Q. What is displacement?

Ans - The shortest distance between inittal and final position of the body is called as displacement.

> It is a vector quantity.

Magnitude of displacement: It is the length of the shortest path

between initial point and final point.

Direction of displacement: It's direction is always from initial point to final point (A -> B).

It's symbol is \$\vec{s}\$.

→ It's S.I unlt is meter (m).

→ It's D.F is [3] = [1]

Path-1

Path-2

Phittal point

Path-3 4km

Note

is zero.

$$= \frac{22}{\cancel{x}} \times \cancel{40} = 220 \text{ m}$$
displacement = $2r = 2x + 0$

= 140 m

When initial point and final point of a body are the same, the displacement

Distance -> length of the path -> scalar quantity -> only magnitude

Displacement -> shortest path -> Vector quantity -> magnitude & direction

Speed

Speed \Rightarrow It is a scalar quantity. \Rightarrow Units: $\frac{km}{h}$, $\frac{m}{n}$, $\frac{m}{s}$, $\frac{m}{min}$, $\frac{mile}{h}$

-> sit unit : meter or m/s

> D.F is [u] =[L1-1]

Velocity

At is a vector quantity.

→ symbol: u or v

> Velocity = displacement time

> Direction is the same as that of displacement.

Kesinga

> Units: Km, m, mile, km etc.

-> Symbol: Worv

u > Initial velocity

[F] = [m] x [a]

Expression for time of flight (1)

Time of flight
$$[0 \rightarrow B]$$

= Time of ascent + time of descent $(0 \rightarrow A)$
 $T = ta + td$

Time of ascent

We have, $V = u + at$

Vertical motion, $Vy = uy + ayt$

Here, $Vy = 0$, $uy = u + u + at$

Vertical motion $y = u + u + at$
 $y = u + at$
 $y =$

At 'O' point

Horizontal range (R)

A projectile is projected with initial velocity 4.9 m/s at an angle 30 with horizont. Find time of flight,

maximum height and horitantal Range. Covered by the projectile.

Solution: Given u= 4.9 m/s

(i)
$$T = \frac{2u\sin\theta}{9} = \frac{2x4.9x\sin30}{9.8} = \frac{9.8x\frac{1}{2}}{9.8} = \frac$$

J= 6.8 21/3 (i) $T = \frac{2u\sin\theta}{9} = \frac{2\times4.9\times\sin30}{9.8} = \frac{9.8\times1}{9.8} = \frac{1}{2}\sec\theta$

(ii) H= 25:020 = (4.9) x (80020) = 4.9x4.9x 1/2 2x9.8 = 2x9.82

(iii) R= 2500 = (4.97 x 8060 = 1.22/3 m.

UNIT 4: WORK AND FRICTION Q. What is work? ans - Wark is defined as the dot product of force and displacement. 1. W= F.3 SA W=FS COSO € is the angle between \(\vec{7} \) and \(\vec{5} \). Note * Zero Work (w=0) - when s = 0 W= FXOXCOSO = 0 (No displacement) when 0 = 90" W= FXSXCOS90' =FKSKO = 0 * Work is a scalar quantity. * S. I unit of work is Newtonx Meter (Nm) * Dimensional formula of work is [W] = M=12T-27 Q. What is friction? Ans - * Friction is a force. * Defination - Frietton is the opposing force between two surfaces c bodies), when they are in contact. * It opposes the motion. Types of friction Friction

Static friction Kinematic friction

Static friction - It is the friction between two surfaces (boddes), when they are at vest. (No motion) (FS) Kinematic friction - It is the friction between two surfaces (bodies), when one or both the surfaces are in motion . (fx) Co-efficient of friction frletion & Normal reaction FOR F = NR M - constant and is called co-efficient of friction :. F = N Limiting fraction * Maximum value of a static friction. Q. Write laws of limiting friction, Ans - Laws of limiting friction/laws of friction (i) The direction of friction is always opposite to the direction of motion. (ii) Friction is proportional to normal reaction.

faR

(iii) friction depends on smoothness and polishness of a surface.

(iv) friction doesn't depend on shape and size so long as the normal reaction remains the same.

Q. Write methods to reduce friction?

Ans - Methods to reduce friction

Re By using Lubricants (oil, grease etc)

Re By polishing a surface.

By converting sliding friction into rolling friction.

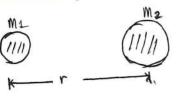
Resulting of the by streamlining.

UNET 5: GRAVITATION Untro duction * There exists an attractive force between two bodiles (masses) of the universe.

* This attractive force is known as gravitational force (F)

Q. State newton's law of growitation?

Ans - Newton's law of growitation



M1 and M2 -> masses of two bodies

r -> Distance between two bodies

Let F -> Granitational force between two bodies

According to the newton's law of gravitation F & M1 M2

-> Gravitational force is directly proportional to the product of two masse

-> Gravitational force is inversely proportional to the square of the distance between two bodies.

Mothematically, $F \propto M_1 M_2$ (1)

$$f \propto \frac{1}{r^2}$$
 ——— (2)

Combining equation (1) \$(2)

$$F = \text{bi} \frac{\text{Ma} \cdot \text{M2}}{\text{r}^2} - (3)$$

Value of H in SI unit is
$$61 = 6.67 \times 10^{-11} \frac{\text{Nm}^2}{\text{Kg}^2}$$

$$M_2 = 2 \text{ kg}$$

$$M_2 = 5 \text{ kg}$$

$$V = 10m$$

$$= 6.64 \times 10^{-11} (2 \times 5)$$

$$(10)^{2}$$

= 6.64 × 10-11 × 10

Q. Write SI unit and dimensional formula of '61'.

 $=\frac{10}{6.94} \times 10^{-11}$

F = 0.667 × 10-11 N

$$= \begin{bmatrix} M^{2}L^{4}T^{-2} \end{bmatrix} \times \begin{bmatrix} L^{4} \end{bmatrix}^{2}$$

$$= \begin{bmatrix} M^{2}L^{4}T^{-2} \end{bmatrix} \times \begin{bmatrix} L^{2} \end{bmatrix}$$

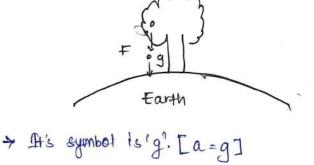
$$= \begin{bmatrix} M^{2}L^{3}T^{-2} \end{bmatrix} \times \begin{bmatrix} L^{2} \end{bmatrix}$$

$$= \begin{bmatrix} M^{2}L^{3}T^{-2} \end{bmatrix} \times \begin{bmatrix} M^{-2} \end{bmatrix}$$

$$= \begin{bmatrix} M^{-2}L^{3}T^{-2} \end{bmatrix} \times \begin{bmatrix} M^{-2} \end{bmatrix}$$

$$= \begin{bmatrix} M^{-1}L^{3}T^{-2} \end{bmatrix} \times \begin{bmatrix} M^{-2} \end{bmatrix}$$

Defination: It is the acceleration produced in a body due to gravitational force between the earth and the body.



G -> Universal Gravitational constant g -> Acceleration due to gravity



 $F = G \frac{\text{mM}}{p^2} \qquad (1)$ By defination, F = mg - (2)From eqn (2) & eqn (2) $G \frac{\text{pr}M}{\text{10}^2} = \text{pr}g$ 61M = 9 a write variotion of a with height and depth. Ans - Variation of g with height (altitude) The earth $g' = g\left(1 - \frac{2h}{R}\right)$ Where , h = height R = Radius of the earth The value of g decreases with increase in height from the surface of the earth.

m - mass of the body

M - mass of the earth

0 -> Centre of the earth

R -> Radius of the earth

Gravitational force between m & M

On the surface of the earth

$$g = 9.8 \,\text{m/s}^2 \approx 10 \,\text{m/s}^2$$
 $h = 1600 \,\text{km}$

$$1-\frac{2h}{R}$$

 $= 10 \left[1 - \frac{3200}{6400} \right]$

 $10\left[1-\frac{1}{2}\right]$

Variation of 9 with depth

 $g' = g\left(1 - \frac{d}{R}\right)$

Explanation K= Radius of the earth

g=9.8 m/c2 \$ 10 m/s2

 $g' = g\left(1 - \frac{d}{R}\right)$

On the surface of the earth

Where, d= depth

d = 1600 km

$$1-\frac{2h}{R}$$

$$1-\frac{2h}{R}$$

$$1-\frac{2h}{R}$$

$$1-\frac{2h}{R}$$

$$g' = g\left(1 - \frac{2h}{R}\right)$$

$$30 \text{ km}$$
 $1 - 2h$

=
$$10 \left[1 - \frac{2 \times 1600}{6400} \right]$$

 $= 10 \left[\frac{2-1}{2} \right] = 10 \left[\frac{1}{2} \right] = 5 \text{ m/s}^2$

kepler's how proposed three laws.

Ans - Kepler's laws of planetary motion

Thesun

 $= 10 \left[1 - \frac{1600}{6400} \right]$

 $= 10 \left[1 - \frac{1}{4} \right]$

= 10 [4-1]

 $=\frac{30}{4}=7.5 \text{ m/c}^2$

= 10 [3]

The sun is situated at the focus.

The planet

1st law (low of orbit): The path orbit of the planets around the

2nd law (law of arial velocity): Each planet covers equal area in equal time interval.

2'-e If T1 = T2, then A1 = A2

The planet

3rd law (law of time period) (time period) 2 x (semi major axis)3

> T2 x a3

Define mass and weight

Mass

-> The amount of materials contained in a body is known as mass.

> The unit of mass is kilogram (kg).

-> It is a scalar quantity.

+ Mass can't never be, zero . .

Weight

> The force on a body due to Earth's gravity . [w = mg]

+ s.F unit of weight is Newton.

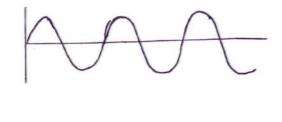
-> It is a vector quantity. > It's symbol is wand is given by w=mg

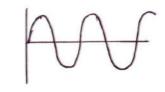
g - Acceleration due to gravity

Weight can be zero when g=0 (at the centre of the earth)

UNIT 6: OSCILLATIONS AND WAVE		
& what is wave?		
Ans - Wave * It is a disturbance which of	carries energy.	
Wave	28	
	•	
	↓ ,	
Mechanical-waves	Non-mechanical weives	
They need a medium for	("They don't need any medium for their	
their propagation)	propagation)	
Ex - Sound waves	Ex - light wove, Radio signal	
Mechanical wave: A mechanical wave propagates due to		
Vibration / oscillation of particles or molecules of the medium.		
Me	hanscal wave	
↓	Longitudinal Waves	
transverse waves	v	
→ Direction of wave propagation		
Transverse waves (perpendicular)		
	Direction of wave propagation	
/: . · · / · · · \		
200		
Longitudinal waves (Pavallet)		

Q. Distinguish between transverse ware and longitudinal waves? Transverse wave Longitudinal waves Ans-(1) Particles of the medium are (i) Particles of the medium are vibrating parallel to the wave propagation. Vibrating perpendicular to the wave propagation. (1) Example ? Sound wave (11) Example: Water wave Rare faction (ii) (iii) - Compression (iv) transverse wave consists of (iv) Longitudinal wave consists of compression and vavefaction. Crests and troughs. Wave parameters (i) Wave cycle * A wave cycle consists of a crest and a trough, in case of a transverse ware * A wave cycle consists of a compression and a renetaction in (i) Wavelength Case of a longitudinal It is the length of a wavetength cycle. * It's symbol is 'X'. (lambda) * It's S.I unit is meter (m).





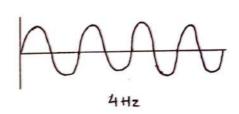
It is the time taken by a wave to complete the wave cycle.

* It's symbol is (T'. * It's S.I unit is second 's'.

(iv) Frequency



2H2



It is the number of wave cycles completed by a wave in one second.

* It is denoted by 'f' or 'n'.

* It's s.I unit is 1 Second or s-1 or Hertz (Hz).

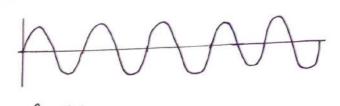
1Hz = 15-1

(v) Wave velocity (v) It is the velocity with which the waves travels or propagate.

* It's symbol is (v'.

* It's s. I unit is meter/second or m/s or ms-1

Relation between time period and frequency



f= 5Hz

1 sec > 5 (no. of wave cycle completes)

$$\Rightarrow$$
 1 wave eycle complete = $\frac{1}{5}$ see

T =
$$\frac{1}{f}$$
 or $f = \frac{1}{T}$

O. Derive the relation between wavelength, frequency and wave velocity of a wave.

Ans - Relation between wavelength, frequency and wave velocity

We have,
$$\chi = Wave length$$

By defination

$$V = \frac{\text{length}}{\text{-time}} = \frac{\lambda}{T}$$

$$V = \frac{\lambda}{T}$$

$$\Rightarrow V = \lambda \times \frac{1}{T}$$

This is the required relation.

UNIT 6: OSCILLA	TIONS AND WAVE
Q. What is wave?	
Ans - Wave	
* It is a disturbance which can	res energy.
Waves	
	↓
Mechanical waves	Non-mechanical weives
(They need a medium for their propagation)	(They don't need any
	medium for their propagation)
Ex - Sound waves	Ex - light wave, Radio signal
Mechanical wave: A mechani	U U
Vibration / Oscillation of particle	
	nícal wave
·	nucal wave
Transverse waves	Longitudinal Waves
	o .
\rightarrow Direction of	wave propagation
. 1 1 .	
Transverse waves (per	pendicular)
25	
	2 2
	direction of wave propagation
/	. *
×	100 S
	20.00

Longitudinal waves (Pavailet)

a Distinguish between transverse v	wave and longitudinal waves?
Ans- Transverse wave	Longitudinal waves
(i) Particles of the medium are Vibrating perpendicular to the Wave propagation.	(i) farticles of the medium are vibrating parallel to the wave propagation.
(ii) Example: Water wave	(ii) Example ? Sound wave
(iii)	(ii) Rare faction 1 Compression
(*) transverse wave consists of Crests and troughs.	(iv) Longitudinal Wave consists of compression and vavefaction.
Wave parameters	,
(i) Wave cycle	*
Ov.	
* A wave cycle consists of a crest of * A wave cycle Consists of a comp (ii) Wavelength	pression and a ranefaction in case of a longitudinal ware
It is the length of a wovelength * It's symbol is '\lambda'. (lambda)	ycle.
* At's S.I unit is meter (m).	
	9

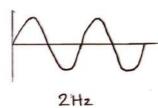
(iii) Time period

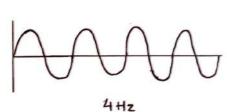


It is the time taken by a wave to complete the wave cycle. * It's symbol is (T'.

* It's s.I unit is second 's'.







It is the number of wave eycles completed by a wave in one second.

* It is denoted by 'f' or 'n'.

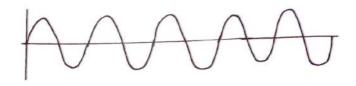
* It's sit unit is
$$\frac{1}{\text{Second}}$$
 or s-1 or Hertz (Hz).

(v) wave relocity (v) It is the velocity with which the waves travels or propagate.

* It's symbol is "v".

* It's s. I unit is meter/second or m/s or ms-1

Relation between time period and frequency



f= 5Hz

1 sec > 5 (no. of wave cycle completes)

$$\Rightarrow$$
 1 wave cycle complete = $\frac{1}{5}$ see

$$\Rightarrow$$
 $T = \frac{1}{f}$ or $f = \frac{1}{T}$

Q. Derive the relation between wavelength, frequency and wave relatity of a wave.

Ans - Relation between wavelength, frequency and wave velocity

We have,
$$\lambda = \text{Wave length}$$

By defination,

$$V = \frac{\text{length}}{\text{time}} = \frac{\lambda}{T}$$

$$V = \frac{\lambda}{T}$$

$$\Rightarrow$$
 $V = \lambda \times \frac{1}{T}$

Velocity - frequency x wavelength

This is the required relation.

Audible frequency range for human ears 20Hz - 20,000 Hz frequency < 20Hz Infrasonic (Not audible) frequency > 20,000 Hz Ultrasonic (Not audible) Q. Write properties of ultrasonic? Ans - Properties of ultrasonic (1) It is a longitudinal wave. (ii) It's fraquency is greater than 20,000Hz. (ii) It carries high energy. Q. Uses/Application of utrasonse? Ans - Uses of ultrasonic :-(1) Medical uses (ii) Welding purposes ("II) SONAR navigation system. (iv) cleaning purpose Q. Derive expressions for displacement, velocity and acceleration of a body executing simple Harmonic Motion (SHM). Ans -Velocity = <u>Displacement</u> Time V= 5 w = Angular velocity 0 = Angular momentum

The sound whose frequency is greater than 20,000Hz is known as

Q. What is ultrasonic/ultrasound?

4ns - Ultrasonic

Ultrasonic.

Displacement (y)

Gn
$$\triangle OBP$$
 $Sin \phi = \frac{y}{r}$
 $y = r sin \psi t$
 $y = r sin \psi t$
 $v = \frac{dy}{dt}$
 $v = \frac{d}{dt} (r sin \psi t)$
 $v = \frac{d}{dt} (r sin \psi t)$
 $v = r \cdot (cos \psi t) \times \frac{d}{dt} (\psi t)$
 $v = r \cdot (cos \psi t) \times \frac{d}{dt} (\psi t)$
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 $v = r \cdot (cos \psi t) \times \frac{d}{dt} (\psi t)$
 $v = r \cdot (cos \psi t) \times \frac{d}{dt} (\psi t)$

$$V = u \sqrt{r^2 - y^2} - (5)$$
Acceleration (a)
$$A = \frac{dv}{dt}$$

$$a = \frac{d}{dt}$$
 (rulcosult)
$$a = ru \frac{d}{dt}$$
 (cosult)

=
$$- \text{rul shult } \times \frac{d}{dt} \text{ (uet)}$$

= $- \text{rul shult } \times \text{ue} \times \frac{d}{dt} \text{ (t)}$

$$a = -ru^2 struct - (6)$$

$$\left[a = -rw^2 \sin \theta\right] - (\mp)$$

$$\Delta O B P$$

$$a = -rw^2 \sin \theta$$

$$\text{In } \Delta 0 \otimes p$$

$$\text{Sin} \theta = \frac{p}{h} = \frac{op}{oo}$$

+ SINO = 7 -(8)

a = - /w2 x y

 $a = -w^2y - (9)$

UNIT 10: ELECTRIC WRRENT Q. What is current? Ans - Flow of charge .

Current due to positive charge -> conventional current

current due to negative charge -> electric current → Symbol of current → For I

S.I unit of current -> Ampere (A) Current = <u>Charge</u> time

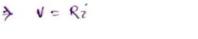
 $\Rightarrow \dot{\gamma} = \frac{q}{t}$ Q. What is ohm's law?

Ans - It states that at constant temperature current Howing -through a conductor is directly proportional to the potential difference between the two ends of the conductor.

Mathemotically, we have Vdz

 $\frac{1}{2}$ $\frac{V}{R}$ = $\frac{1}{2}$

Resistor (—mm—)



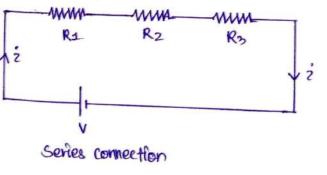
R is a constant and is called reststance.

+ It oppose the flow of current.

-> The property of resistor to oppose the current is called resistance.

other unit: milli ohm (ms) micro ohm (N.2)

Capacitor + At stores charge. Capacitance The capacity of a capacitor is called capacitance. > Symbol: C > SI unit: Farad (F) > Other unit: millifarad (mF) Micro Favad (NF) 1F = 103 mF 1F = 106 MF Equipment Battery Resistor Capacitor Grouping of resistors (i) Series grouping or series connection (i) Parallel grouping or parallel connection



R= K1+R2+R3

$$R = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$

Problem 1

Find equivalent resistance of four resistors of resistance 22, 42, 12 and 32 when connected in series and parallel.

R= 22+42+1-2+32

$$\frac{1}{2} = \frac{1}{2} + \frac{1}{4} + \frac{1}{1} + \frac{1}{3} = \frac{12 + 6 + 24 + 8}{24} = \frac{56}{24} = \frac{25}{24}$$

$$R = \frac{12}{25} = 0.48 - 2$$

Three resistors of resistance 22, 100 µm and 10 \(\Omega\) are connected in series. Find total resistance.

Ans - Gilven,

$$R_4 = 2\Omega$$

 $R_2 = 100 \text{ m M} = 100 \text{ m} = \frac{1}{1000} = \frac{1}{10} = 0.1 \Omega$

R8 = 10.2

Resistance When connected in series

$$R = 2.2 + 0.1.2 + 10.2$$

= 12.1 Q

Problem 2

Problem 3 Three capacitor of capacitance 27, 1000 mf and 10F when connected in ceres and parallel. Ans - Capacitance when connected in series $\frac{1}{C_1} = \frac{1}{2} + \frac{1}{1} + \frac{1}{10}$ $=\frac{10+20+2}{20}$ $=\frac{32}{20}$ G= 20 Capacitance when connected in parallel C2 C1 + C2 + C3 = 2+1+10 - 13F Q. State Krichoff's lews. Ans - Krichhoff's laws (1) KCL (Krichhoff's current law) (ii) KVL (knichhoffs Voltage law) KCL the algebric sum of current meeting atajunction is zero.

Grouping of capacitors

Series $\Rightarrow \frac{1}{C1} + \frac{1}{C2} + \frac{1}{C3} = \frac{1}{C_{\text{total}}}$

parallel - C1 + C2 + C3 = Ctotal

sign of convention (1) The currents leaving the junetion are taken as negative. (ii) The currents entering the junction are taken as posttive. Applying KCL to the given figure, we get (-21) + (22) + (-23) + (24) = -21+22-23+24 · 14+22 = 21+23 KVL statement The algebraic sum of the voltages (emf) across a closed loop is zero.

Sign of convention

+ path -Voltage will taken as negative. (ii)

(iii) The direction of current are opposite, then IR is positive. Path R (iv) The direction of path and direction of current are the same, then the is negative. Poth WR By applying KUL to the given loop ABCDA, we get -€1+ 11R1+(-E2)+ 22R2 = 0 - E1 + 21 R1 - E2 + 22 R2 = 0 Q. State krichoff's laws, Find balance condition for wheatstone bridge by applying krichhoff's laws. Ans- Krichhoff's laws KCL: The algebraic sum of currents meeting at a junction is zero. KVL? The algebraic sum of voltages across a closed loop is zero. Balance condition for wheatstone bridge

Applying KVL to the loop ACDA
$$-(i-21)R1 + [-ig4] + i1R3 = 0$$

$$= -(i-21)R1 - ig4 + i1R3 = 0 - (1)$$
Applying KVL to the closed loop CBDC
$$-(i-21-iq)R2 + (21+iq)R4 + ig4 = 0$$

Applying KVL to the closed loop CBDC
$$-(i-i1-ig) R_2 + (i1+ig) R_4 + ig G = 0 - (2)$$

$$-(i-i1-ig)R_2+(i1+ig)R_4+ig4=0-(2)$$
 For balanced wheatstone briefge, $ig=0-(3)$

Putting
$$2g=0$$
 in eqn (1)
 $-(2-21)R1+21R3=0$
 $\Rightarrow 21R3=(2-21)R1-(4)$

$$= -(i-i1)R_2 + (i1)R_4 = 0$$

$$= i1R_4 = (i-i1)R_2 - (5)$$

$$= 2184 = (2-21)82 - (5)$$

$$\frac{\text{2LR3}}{\text{2LR4}} = \frac{(2-2\text{L})}{(2-2\text{L})} \frac{\text{R1}}{\text{R2}}$$

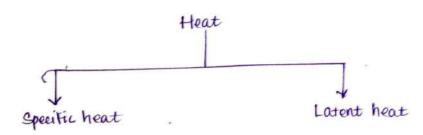
$$\frac{1}{7} \left[\frac{R_3}{R_4} = \frac{R_2}{R_2} \right]$$

this is the boton required solution.

UNE 7: HEAT AND THERMODYNAMICS

Q. What is heat?

Ans - Heat is a form of energy and is called hermal energy.



Note

When we supply heat to a body;

(i) Temperature of the body changes.

Specific heat

Amount of heat required to rise temperature of a body of mass 1gm through 1'c, without changing the phase of the body.

→ It's symbol is c. → Formula, c = _ Q

 m_{\perp}

Q -> Heat

c -> specific heart

m -> mass

AT -> change in temperature

- → Q = Cm AT
- > No phase change.
- → Only temperature changes.
 → Specific Heat of ice is 0.5 call gm°c.
- -> Specific Heat of Water is 1 cal/gmoc.
- Q1. Find amount of heat required to raise the temperature of 10gm of water at 80°C to 100°C.

Ins - Given, mass = 10gm C = 1 cal/gm°c 1 = 100 -80 = 20 Q = CMAT = 1 X 10 X 20 = 200 Cal

Q2. Calculate amount of heat required to raise the temperature of sogn of lie at -5°c to 0°c.

Ans - Given, mass = 50gm C = 0.5 cal 1gm'c AT = 5

> Q = CMAT = 0.5 X50 X5

03. Write dimensional formula and ST unit of (c'. Ans- [c] = [2 T-2 K-1]

3I unit of c is J Kq K

Latent Heat

Q4. What Is latent heat?

= 125

Ans-Amount of heat required to change phase of a substance of mass 1gm with temperature remaining constant/without increase in temperature. -> OH's symbol is 'L'.

 $\rightarrow L = \frac{0}{m}$ > Q = Lm

→ Phase changes at constant temperature.

Q5. Write dimensional formula and SI unbt of latent heat? Ans - Dimensional formula of 'L' [L] = [L2 T-2] S.I unit of 'L' > J/kg Q6. Calculate the amount of heat required to convert 10gm of ice at o'c to water at o'c. Ans - Gilven, mass = 10gm Note 0 = Lm = 80 X 10 L= 80 cal/q = 800 cal 07. Calculate amount of heat required to 幽 Convert 5gm of water at 100°c to Woder Steam at 100°C. 1gm L= 540 cal/g Ans - Given, mass = 5gm Q= Lm - 540 X5 = 2700 cal Q8. Calculate the amount of heat required to convert 5gm of Ice at -5°c to water at 60°C. Given specific heat of ice = 0.5 cal Igm and Latent heat of ice = 80 cal Igm. Ans -Water (-5.c) (0.c) (0.c) (60°C)

0.5 cal
$$lgm$$
 and Latent heat of $lce = 80$ cal lg Ans-

ice lce water water (-5°c) (0°c) (0°c) (60°c)

Q1 = lce lce

 $=\frac{125}{10}$ = 12.6 cal

= 0.5 x5 x [0-(-5)]

= 0.5 X5 X5

 $=\frac{5}{10} \times 25$

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Q3 = Cm AT
   - JX6X60
   - 300 cal
Qtotal = Q1 + Q2 + Q3
      = 12.5 + 400 + 300
       = 712.5 Cal
09. Calculate the amount of heat required to convert 10gm of
   ice at - 10°c to steam at 120°c.
Ans-
           Q1 Q2 Q3 Q4 Q5
                   water water steam
              (0°c) (0°c) (100°c) (120°c)
  Q1 = CMAT
    = 0.5 x10 x [0-(-10)]
    = 0.5 x 10 x 10
   = 0.5 x 100
   = 50 cal
  02 = Lm
    - 80 x 10
     = 800 Cal
  Q3 = Cmst
     = 1 × 10 × 100
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80 = Lm

= 80 X5

= 400 cal

- 1 XJ000

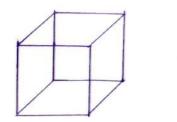
= 1000 cal

= 540 x 10 = 5400 cal

Q4 = Lm

Q5 = CMAT = 0.5 X10 X 20 ₽ 0.5×200 = 100 cal Qtotal = Q1+Q2+Q3+Q4+Q5 = 50+800+ 1000+ 5400+ 100 = 7350 Cal Thermal expansion Expansion due to heat / thermal energy. Thermal expansion Linear expansion Superficial expansion Cubical expansion Ivon rod

10 Iron sheet



Iron cube

20

C Linear expansion - Expansion along length superficial expansion - Expansion along length & breadth Lubical expansion - Expansion along all the three dimensions [Length, breadth & height] Linear expansion lt Let, lo -> length at o'c lt → length at t'c change in length = lt - lo lt-lo x lo - (1) lt-lo at - (2) Combining eqn (2) and eqn (2) lt-lox lot > lt-lo = x lot - (3) where a (alpha) is a constant and is called co-efficient of linear expansion. From eqn(3), It = a lot + lo ⇒ lt = lo (αt +1) - (4) from eqn (3), $\alpha = \frac{1}{10t}$

Superficial expansion

Ao oc Heat (Q)

At to

Let, Ao \rightarrow length at o'c At \rightarrow length at t'c

change in area = At - Ao

At-40 at - (2)

At-A0 XA0 - (1)

Combining eqn (1) and eqn (2)

At - Ao & Aot

→ At-Ao = BAot - (3)

where p (Beta) is a constant and is called co-efficient of superficial expansion.

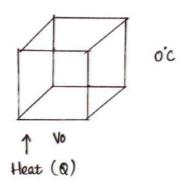
from eqn(3), At = BAot + Ao

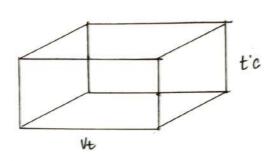
→ At = Ao (Bt+1) - (4)

From eqn (3),

 $\beta = \underbrace{At - Ao}_{Aot} - (5)$

Cubical expansion





Vo > Volume at 0'c

Vt > Volume at t'c

change in valume = Vt - Vo

Vt-Vo x Vo - (1)

Vt-Vo x t - (2)

Combining equ(2) & equ(2)

Vt - Vo & Vot

where Y (blamma) is a constant and is called co-efficient of Cubical expansion.

From eqn(3), Vt = 8 vot + vo

From eqn(3),

$$Y = \frac{Vt - V_0}{Vot} - (5)$$

Lt = lo (xt+1) - (4) $\alpha = \frac{\text{lt} - lo}{\text{lot}} - (5)$ Superficial expansion $\beta \rightarrow co-efficient$ of superficial expansion At - 40 (pt+1) - (4) $\beta = \frac{A_{t} - A_{0}}{-(5)}$ Cubical expansion $\gamma \to \text{co-efficient of cubical expansion}$ Vt = Vo (rt +1) - (4) $\mathcal{X} = \frac{V_{t} - V_{0}}{V_{0t}} - (5)$ O. Derive the relation between a, B and 8. Soln - Relation between a and p o'c Ao = lo x lo = lo^2 lo tc $A_{t} = l_{t} \times l_{t} = l_{t}^{2}$ At lt

Summary

Linear expansion

> lt2 = lo2 (p++1) $\Rightarrow \left\{ l_0 \left(xt+1 \right) \right\}^2 = l_0^2 \left(pt+1 \right)$ * 18 (at+1)2 = 18 (p++1) > (at+1)2 = (pt+1) $\Rightarrow (\alpha t)^2 + 2 \cdot \alpha t \cdot 1 + (1)^2 = (\beta t + 1)$ > x2t2 + 2xt + x = Bt + x > x2t2 +2xt = pt * t (x2++2d) = pt > x26+2x= 13t \$ x2+ 2x = 13 Since & is very small, x2t can be neglected 2a = 13 Relation between a and 8 Vo = lo x lo x lo = lo3 lo No Vt = lt xlt.x lt = lt3 lt

We have, At = Ao (pt+1)

We have,
$$4t = 40 (8t + 1)$$

$$4 = 4^3 = 6^3 (8t + 1)$$

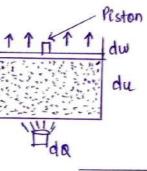
$$4 = 6^3 (8t + 1$$

Q. What Is Jowe's mechanical equivalent of heat? Ans - Joule's mechanical equivalent of hear

WXD

W -> Work done

→ W= JQ where I is a constant and is called Joule's mechanical equivalent of heat. $C = \frac{W}{A}$.. If, Q = 1 unit, then J=W Defination I is equal to w, when Q = 1 unit Q. State 1st law of thermodynamics. Ans - First Law of thermodynamics



This law states that, du = de - dw or du+dw = de where, do -> Amount of heat supplied

du > change in Internal velocity

Q. Write units of heat?

Ans- Units of heat

dw -> Amount of work done

System of units

si unit

MKS unit

cos unit

FPS unit

Calorie

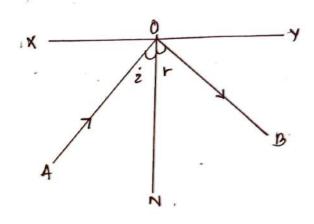
Units of heat

Toule

Toule

BTU (British Thermal

UNIT 8: OPTICS



AO -> Includent Ray

010 → Reflected Ray XY → Reflecting surface

0 -> Point of reflection

ON -> Normal to xy

i -> Angle of incidence

r -> Angle of reflection

Q. Write laws of reflection?

Ans - laws of reflection

(i) Angle of incidence is equal to angle of reflection.

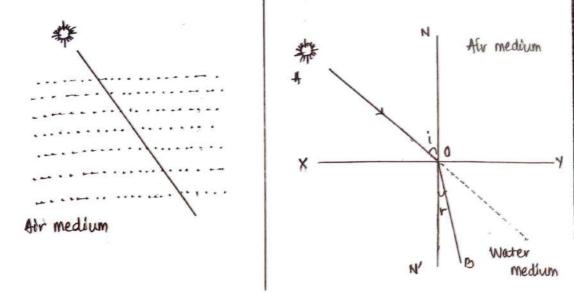
Li=LY

(ii) the incident ray, reflected ray and normal all lies on one plane and the plane is perpendicular to the reflecting surface.

Q. What is refraction?

Ans - Retraction

It is the property of light in which a ray of light travelling from one medium to another undergoes a change in it's speed and direction.



Ao → Incident Ray

OD → Refracted Ray

O → Point of refraction

XY → Interface

NN' → Normal to XY at point 'o'

i → Angle of incidence

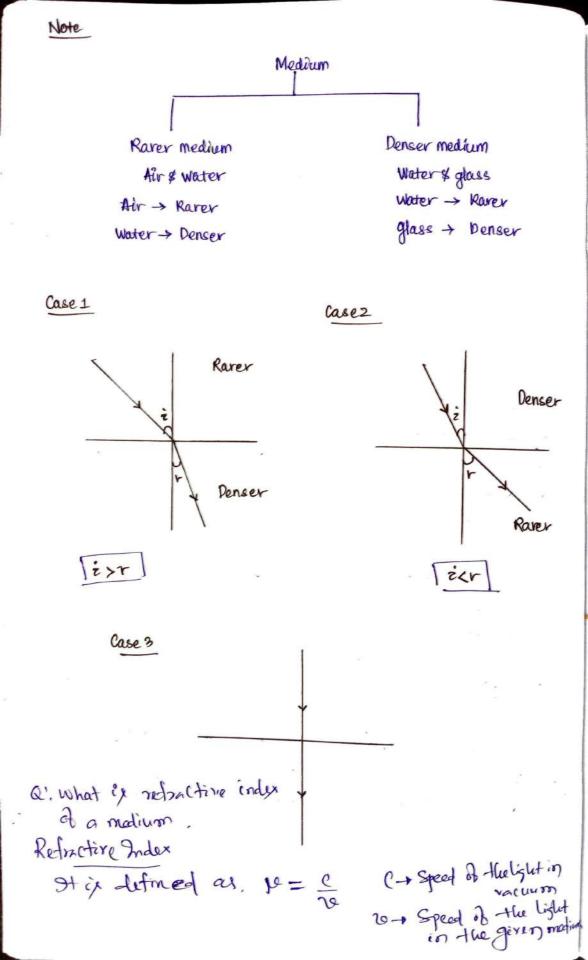
r → Angle of refraction

O. Write laws of refraction.

Ans - laws of refraction

Constant is called refractive index of the medium (M).

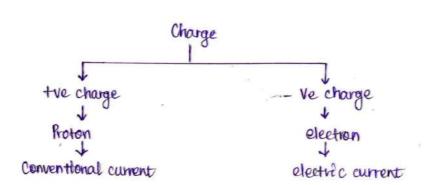
(ii) The incident ray, retracted ray and the normal all lies in one plane and the plane is perpendicular to the interface.



Q. what is critical angle and total internal reflection (TIR)? Ans - Critical angle It is the angle of incidence for which angle of retraction is 90° i.e oi = oir when Lr = 90' Alr water 20 Total internal reflection Total internal reflection occurs. i) When 2> 2e (Angle of incidence is greater than critical angle). (ii) Ray must travel from denser medium to rarer medium. Q. What is optical fiber? Ans - Optical fiber Optical fiber is a wave guide which transmits light along it's axis through the process of total internal reflection. light ray cladding Plastic covering Q. Write uses of optical fiber? Ans - Uses of optical fiber (1) Medical Industry (ii) Communication (iii) Lighting & Decoration (iv) Broadcasting

UNIT 9 : ELECTROSTATICS & MAGINETOSTATICS

Electro static - Charge at rest Magnetostatic - Magnet at vest



Note

- > Symbol of charge is q or a.
- > SI unit of charge is coulomb (c).

Electric force

- -> force between two charges.
- → Two type (i) Attractive (ii) Repulsive
- Q. State and explain coulomb law in electrostatic.

Ans - Coulomb's law

Consider two charges : 91 \$ 92 r -> Distance between 21 and 92

Let, F -> Electric force between 9.1 and 92

Statement

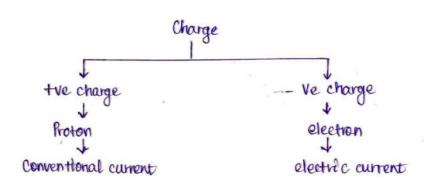
- (i) Electric force is proportional to the product of two charges.
- ("i) Electric force is inversely proportional to the square of dictance between two charges.

Explanation

- (1) FX9192 (1)
- $(ii) F \propto \frac{4}{r^2} (2)$

UNIT 9: ELECTROSTATICS & MAGINETOSTATICS

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- (i) Electric force is proportional to the product of two charges.
- ("i) Electric force is inversely proportional to the square of dictance between two charges.

Explanation

- (1) FX9192 (1)
- $(i) F \propto \frac{1}{r^2} (2)$

Combining eqn (1)
$$4 \text{ eqn (2)}$$

For $\frac{q_1q_2}{r^2}$

Where K is a constant and $k = \frac{1}{4 \text{Heo}}$
 $= 9 \times 10^q \frac{\text{Nm}^2}{\text{C}^2}$

Eo \Rightarrow Permittivity of the free space

 $F = \frac{1}{4 \text{Heo}} \cdot \frac{q_1q_2}{r^2} - (3)$
 $\Rightarrow 1 \times 10^q \frac{\text{Nm}^2}{4 \text{Heo}} \cdot \frac{1}{4 \text{Heo}} = 9 \times 10^q \frac{\text{Nm}^2}{2}$

The square of the square of the free space

 $\Rightarrow 1 \times 10^q \frac{\text{Nm}^2}{\text{C}^2} - (4)$

Magnetostatic

Of deals with magnet.

Magnetic force

Force between two magnets or magnetic pole.

Attractive

Force between two magnets or magnetic pole.

$$N S \longrightarrow N S$$

Q. State and explain coulomb's law in magneto statle? Ans - Coulomb's law in magneto static

Consider two poles of strength M1 & M2 Let; r' be the distance between two poles.

I' be the force between two poles.

Skotement

- (i) Magnetic force between two poles is directly proportional to product of two poles.
- (ii) Magnetite force is inversely proportional to the square of distance between two poles.

$$f \propto M_1 M_2 - (1)$$
 $f \propto \frac{1}{h^2} - (2)$

Fx
$$\frac{m_1 m_2}{r^2}$$

$$\Rightarrow f = \frac{1}{k} \frac{m_1 m_2}{k^2}$$

where
$$K$$
 is a constant and $K = \frac{M_0}{4\pi}$

No → permiability of tree space

$$\therefore F = \frac{N_0}{4JI} \qquad \frac{M_2 M_2}{r^2} \qquad - (3)$$

$$\Rightarrow F = 10^{-7} \frac{M_2 M_2}{T^2} - (4)$$

$$\frac{M_0}{4\pi} = 10^{-7} \frac{W_0}{Am}$$
0. Define unit charge?

when,
$$F = 9 \times 10^9 \text{ N}$$

 $V = 1 \text{ Meter}$

91=92 = 9

:.
$$9 \times 10^9 = 9 \times 10^9 \times \frac{919^2}{12}$$

$$\frac{9 \times 10^{4}}{9 \times 10^{4}} = \frac{9^{2}}{1}$$

$$\frac{1}{9 \times 10^{4}} = \frac{9^{2}}{1}$$

Defination

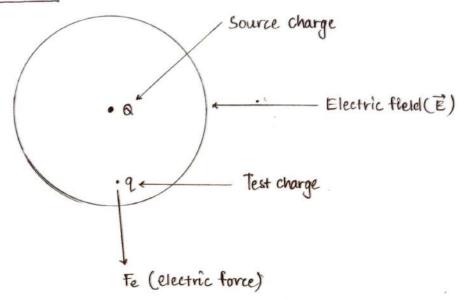
Unit charge is that amount of charge when placed in air at a distance of one meter from another charge experience a force of 9×109 N.

a. Define unit pole.

Ans- Unit pole is that pole when placed in air at a distance of one meter from another pole experience a force of 10-+N.

UNIT-11 ELECTROMAGINETISM & ELECTRO MAGINETIC INDUCTION

Electric field



 $\vec{F} = \vec{fe}$

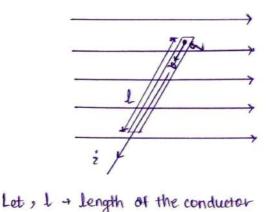
Magnetic field

> Fm = q vo sinon

Fm = q(vxB)

Q. Derive an expression for the force acting on a current carrying conductor placed in a uniform magnetic field.

Ans - Expression for force acting on a current carrying conductor placed en a uniform magnetic field.



We have, Fm = q(VxB) > Fm = qvB sine A

$$\Rightarrow Fm = q \frac{1}{t} B \sin \theta \hat{n}$$

$$\Rightarrow \vec{F}_{m} = I \log \sin \theta \hat{n}$$

 $\Rightarrow \vec{F}_{m} = I (\vec{l} \times \vec{b})$

This is the required expression.

Uniform magnetic field (B)

Q. State faraday's law of electromagnetic induction.

flux linked with the circuit continues.

1st law whenever a magnetic flux linked with a circuit changes, an emf is

Induced emf a negative rate of change of magnetic foliax.

EX-dAB

3rd lew

and law

The induced emf exist in the circuit so long as the change in magnetic

induced in the circuit.

Q. What is Lenz's law. Ans- Lenz's law; The law states that the direction of induced emf is such that it oppose the cause which produce it. (Induced ent oppose H's cause) Q. Distinguish between Fleming's left hand rule (FLHR) and fleming's right hand rule (FRHR).

FLHR Ahs -

(1) It gives direction force on current carrying conductor placed in a uniform magnetic field.

(1) It is applicable to DC motors.

(iii) Mid finger - direction of magnetic field (B). forefinger - direction of

Current.

Thumb + direction of force

FRHR

(i) It gives the direction of induced (Induced current) due to change in magnetic flux linked with Eircuit.

(ii) It is applicable to ocgenerators.

(iii) Thumb-direction of motion. middle finger-direction of magnetic fore-lenger - direction of induced 6mf.