

**6TH SEM./ AE & IE/ ELE. AND ETC./EE(I&C)/
ETC & COMM./ E&TC/ 2024(S)**

Th- 3 Digital Signal Processing

Full Marks: 80

Time- 3 Hrs

**Answer any five Questions including Q No.1 & 2
Figures in the right hand margin indicates marks**

1. Answer All questions 2 x 10
 - a. What are energy & power signals?
 - b. Check whether the signal $x(n) = u(n) - u(n-1)$ is causal or noncausal.
 - c. Define ROC. Write any two properties of ROC.
 - d. Define unit step and unit ramp signal (in discrete time domain)
 - e. Find the Time period of the signal $x(n) = \sin(\frac{6\pi n}{7})$
 - f. What is the difference between Causal system & Non-Causal system.
 - g. Find the Z-transform of unit impulse signal.
 - h. What are the various methods of finding inverse Z- transform.
 - i. What are the applications of circular convolution.
 - j. What is FFT? Is it a transform?
2. Answer Any Six Questions 6 x 5
 - a. Determine the energy & power of the given sequence
 $x(n) = (\frac{1}{2})^n u(n)$
 - b. Check for
 - (i) Linearity
 - (ii) Time invariance

Of the system given by: $y(n) = x(n) + n x(n-1)$ where $x(n)$ & $y(n)$ are input and output of the system respectively.
 - c. State any 5 properties of Z- transform
 - d. Compute poles, zeros and system response of the given difference equation $y(n) = 2y(n-1) + 3x(n)$
 - e. Find the inverse Z-transform of $X(Z) = \frac{3Z}{(Z-1)(Z-2)}$ (ROC: $|Z| > 2$)
 - f. Differentiate between linear & Circular convolution.
 - g. Find 4 point IDFT of a sequence $X(K) = \{1, 0, 0, 1\}$
3. Determine the response of the relaxed system characterized by the impulse response $h(n) = (\frac{1}{2})^n u(n)$ to the input signal $x(n) = 2^n u(n)$. 10
4. Find the system function & impulse response of the system described by the difference equation $y(n] = x(n) + 2x(n - 1)$ 10
5. i) Find the 4 point DFT of the sequence $x(n) = \{1, 0, 2, 1\}$ [5]
 ii) Write down any 5 properties of DFT. [5]
6. Classify different discrete time systems with example. [10]
7. i) State and explain sampling theorem. [5]
 ii) Determine the Nyquist rate of the analog signal given by $m(t) = 2\cos(100\pi t)\sin(100\pi t)$. [5]